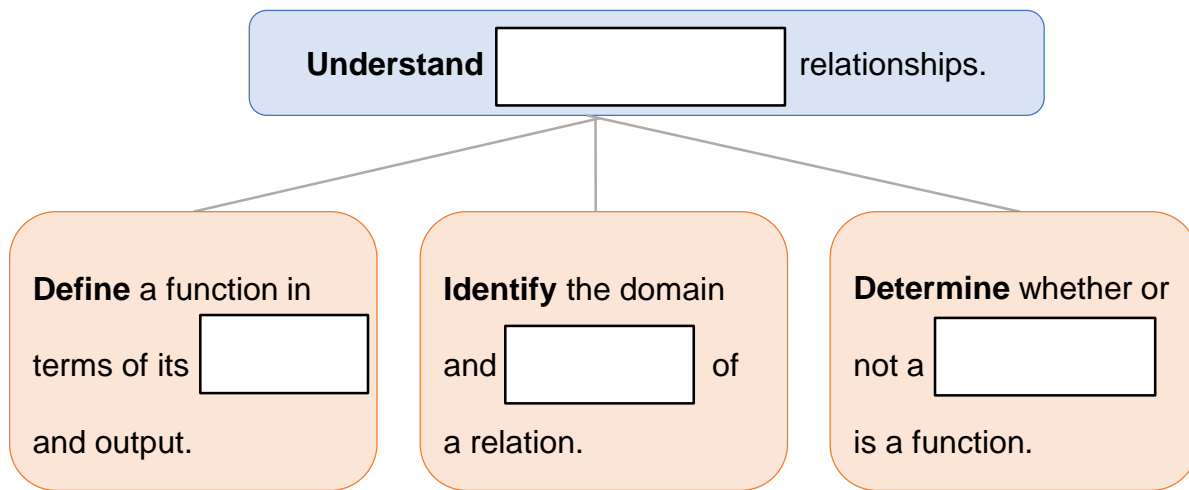




**Lesson Question**



**Lesson Goals**



**Words to Know**

*Fill in this table as you work through the lesson. You may also use the glossary to help you.*

	the set of output values corresponding to the domain values
	the variable in a function that represents the output values; the second coordinate in the ordered pairs
	a relation in which each element of the domain is mapped to (paired with) exactly one element of the range
	the set of input values for which the function is defined

W  
2K

	a set of ordered pairs
	the variable in a function that represents the input values; the first coordinate in the ordered pairs



### Creating an Input/Output Table of Values

Create a table of input and output values for the equation  $y = 5 + 3x$ .

$$x = -2 \quad y = 5 + 3(-2) = -1$$

$$x = -1 \quad y = 5 + 3(-1) = 2$$

$$x = 0 \quad y = 5 + 3(0) = \boxed{\phantom{00}}$$

$$x = 1 \quad y = 5 + 3(1) = 8$$

$$x = \boxed{\phantom{00}} \quad y = 5 + 3(2) = 11$$

	Outputs
-2	
-1	2
0	
1	8
	11

Slide

2

### Independent and Dependent Variables

The **independent variable** represents the input values and the **dependent variable** represents the  values.

Isaac takes a 216-mile trip from Boston to New York City. He drives at a rate of 54 miles per hour. The equation  $d = 54t$  models his distance,  $d$ , over time,  $t$ , in hours.

Complete the table of values and identify the independent and dependent variables.

Time	Distance
0	0
1	
2	108
3	
4	216

independent  output

Slide

4

### Defining Domain and Range of a Function

The  is the set of input values for which the **relation** is defined. The  is the set of output values corresponding to the domain values.

Isaac takes a 216-mile trip from Boston to New York City. He drives at a rate of 54 miles per hour. The equation  $d = 54t$  models his distance,  $d$ , over time,  $t$ , in hours.

Domain:  $\{t | 0 \leq t \leq \text{$

Range:  $\{d | \text{$

Time	Distance
0	0
1	54
2	108
3	162
4	216

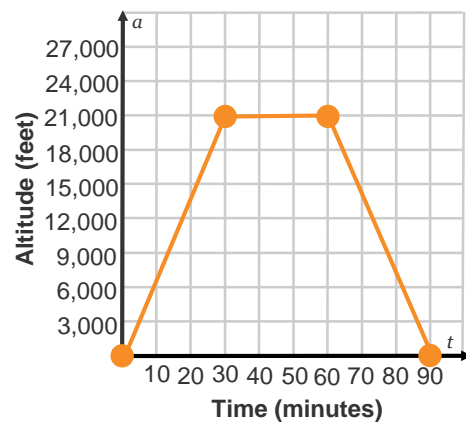
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### Determining the Domain and Range from a Graph

The altitude of a plane,  $a$ , over time,  $t$ , is shown in the graph. Identify the domain and range.

Domain:  $\{t | \text{$

Range:  $\{a | \text{$

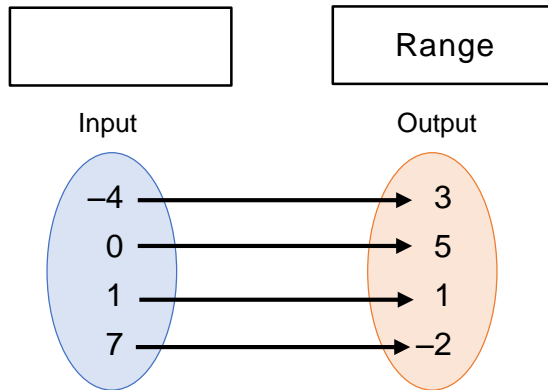


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### Determining Domain and Range from a Mapping Diagram

The ordered pairs  $(-4, 3)$ ,  $(0, 5)$ ,  $(1, 1)$ , and  $(7, -2)$  represent a relation. Determine the domain and range.



Domain:  $\{x|x = -4, \square, 1, 7\}$

Range:  $\{y|y = -2, \square, \square, 5\}$

11

### Defining Function

In a **function**, each value for the independent variable (input values) maps to exactly  value for the dependent variable (output values).

Isaac takes a 216-mile trip from Boston to New York City. He drives at a rate of 54 miles per hour. The equation  $d = 54t$  models his distance,  $d$ , over time,  $t$ , in hours.

For every given time, there was  given distance.

Isaac's distance is a  of time.

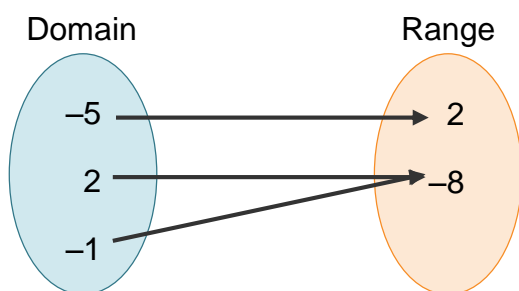
Time	Distance
0	0
1	54
2	108
3	162
4	216

Slide

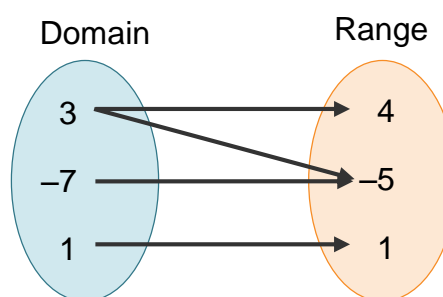
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**Function Versus Not a Function**

To determine if a relationship is a function, ask, “Does each element in the domain correspond to  one element in the ?”

**Function**

Each element in the domain has only one .

 **a Function**

3 has an output of 4 but it also corresponds to . Since it corresponds to more than one output, then I know it is not a function.

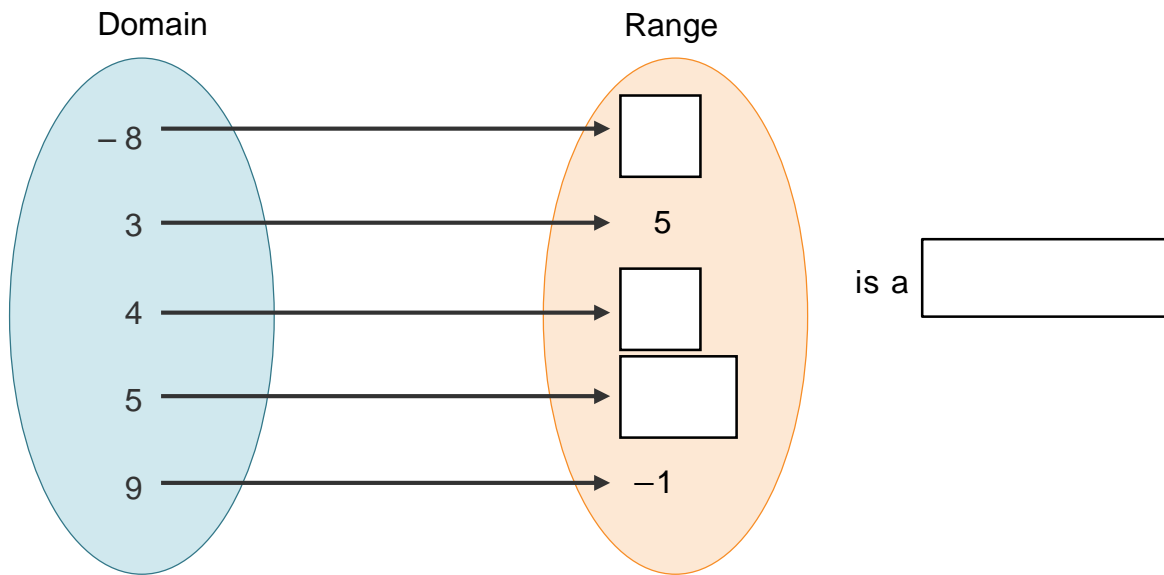
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13

### Determining if a Relationship Is a Function

Determine if the set of ordered pairs represents a function.

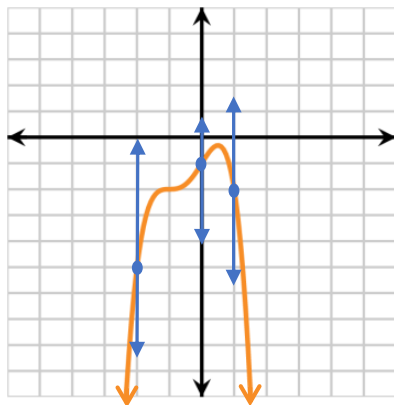
$(3, 5), (-8, 0), (5, -2), (4, 4), (9, -1)$



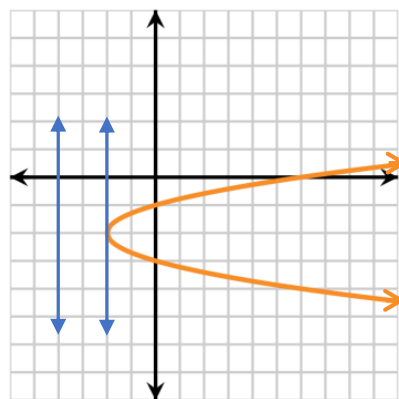
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### The Vertical Line Test

If any  line passes through no more than one point, then the graph represents a function.



### Not a Function





# Summary

## Introduction to Functions



**Lesson  
Question**

What is a function?



**Answer**

*Use this space to write any questions or thoughts about this lesson.*