

# Warm-Up

# Evaluating Functions



## Lesson Question



### Lesson Goals

**Evaluate** function values using function .

**Determine**  values given input values.

**Determine**  values given output values.



### Words to Know

Fill in this table as you work through the lesson. You may also use the glossary to help you.

evaluate	to determine the <input type="text"/> of
function	a <input type="text"/> in which each element of the domain is mapped to (paired with) exactly one element of the <input type="text"/>
input	a value that is transformed by a <input type="text"/> and becomes output
output	the <input type="text"/> of an input that has been transformed by a process



### Evaluating Tables of Functions

Use the table of the given **function** to find the missing values.

input  
 $\downarrow$   
 $f(2) = \square$

output  
 $\downarrow$   
 $f(x) = 58$        $f(6) = 58$   
 $x = \square$

inputs	
$x$	$f(x)$
$-2$	$-38$
0	-2
2	-6
4	-2
6	58

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## Evaluating Functions in Symbolic Form

## COMPLETING A TABLE

Define the function

$$f(x) = x^4 - 3x^3 + 2x - 1.$$

$$\begin{aligned} f(\square) &= 0^4 - 3(0)^3 + 2(0) - 1 \\ &= 0 - 0 + 0 - 1 \\ &= \square \end{aligned}$$

ordered pair:  $(0, \square)$ Complete the table by determining the function's value when  $x = 0$ .

$x$	$f(x)$
-1	1
0	
1	-1
2	-5

## FINDING AN OUTPUT VALUE USING A FUNCTION

**Evaluate** the function to determine the output value when the input value is  $-2$ .

$$\begin{aligned} f(\square) &= (-2)^4 - 3(-2)^3 + 2(-2) - 1 \\ &= \square - 3(\square) + (-4) - 1 \\ &= 16 + 24 + (-4) - 1 \\ &= \square \end{aligned}$$

ordered pair:  $(-2, \square)$ 

Define the function

$$f(x) = x^4 - 3x^3 + 2x - 1$$

$x$	$f(x)$
-1	1
0	-1
1	-1
2	-5

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## Evaluating Functions in Graphical Form

Use the given function's graph to determine the **output** value when the **input** is 1.

$$f(1) = \boxed{\phantom{00}}$$

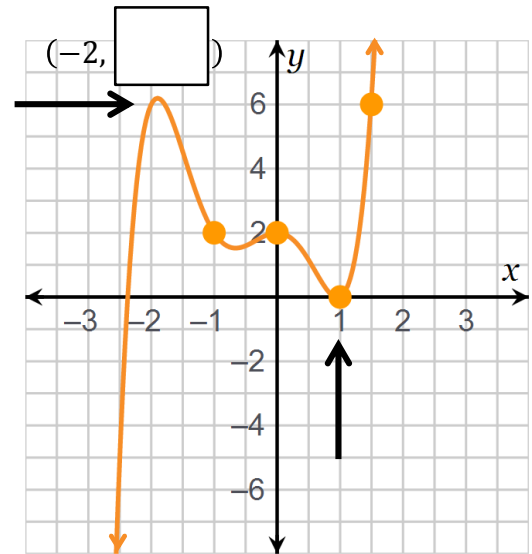
$$(1, \boxed{\phantom{00}})$$

What is the function's value when

$$x = -2?$$

$$(-2, \boxed{\phantom{00}})$$

$$f(-2) = \boxed{\phantom{00}}$$



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## Evaluating and Analyzing a Function

The function  $f(h) = -720h + 10,080$  is used to determine the volume of water, in gallons, in a pool based on a certain number of hours,  $h$ , that the pool has been draining. How much water is left in the pool after 12 hours of draining?

Input:  $\boxed{\phantom{00}}$  hours       $h = 12$

Output:  $f(h)$  (volume, in gallons)

$$\begin{aligned} f(\boxed{\phantom{00}}) &= -720(\boxed{\phantom{00}}) + 10,080 \\ &= -8,640 + 10,080 \\ &= \boxed{\phantom{0000}} \text{ gallons} \end{aligned}$$

# Instruction

## Evaluating Functions

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### Determining the Input Using an Equation

Determine the input that would give an output value of  $\frac{18}{5}$ .

$$f(x) = \frac{1}{5}x + 4$$

$$\left( \begin{array}{|c|} \hline \square \\ \hline \end{array} \right) = \frac{1}{5}x + 4$$

$$-\frac{20}{5} \qquad -4$$

$$5 \cdot \left( -\frac{2}{5} \right) = \frac{1}{5}x \cdot 5$$

$$\square = x$$

$x$	$f(x)$
-3	$\frac{17}{5}$
-1	$\frac{19}{5}$
1	$\frac{21}{5}$
3	$\frac{23}{5}$

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### Analyzing a Graph to Determine an Input Value

Use the graph to determine the input values that correspond to the given output values.

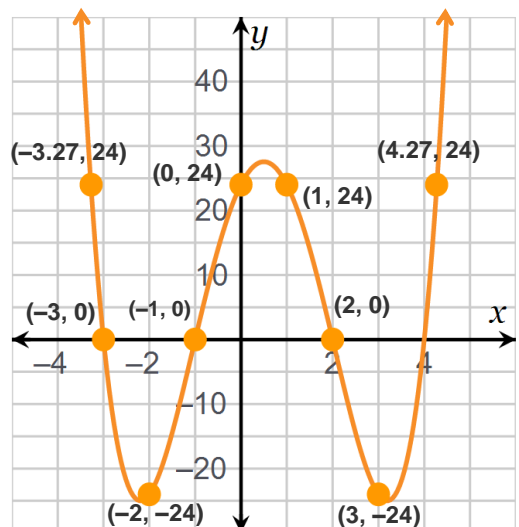
Circle the points with an output of 24.

$$f(x) = 24$$

$$\left\{ \begin{array}{l} x \approx -3.27 \\ x = \square \\ x = \square \\ x \approx 4.27 \end{array} \right.$$

$$f(x) = 80$$

$\square$  inputs will have an output of 80.



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### Inverse Functions

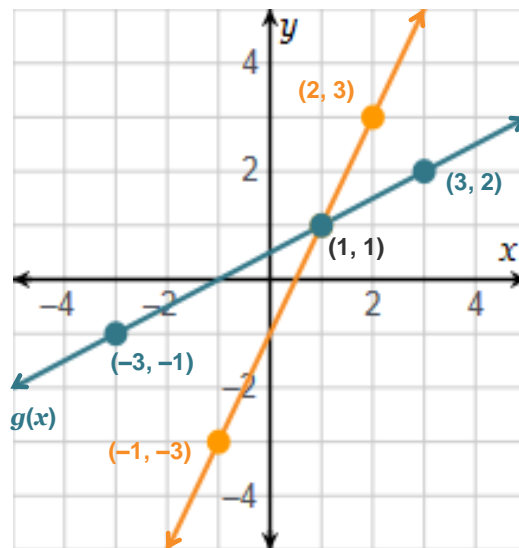
Compare the inputs and outputs of the given functions.

$$f(x) = 2x - 1 \text{ and } g(x) = 0.5x + 0.5$$

The inputs of function  $f$  are the same as the outputs of function  $g$ , and vice versa.

$g(x)$  is the  of  $f(x)$ .

They are inverses of each other.



#### FINDING THE INVERSE OF A FUNCTION

**Step 1:** Replace  $f(x)$  with  $y$ .

$$y = 2x - 1$$

**Step 2:** Switch the  $x$  and the  $y$ :

$$\boxed{\phantom{x}} = \boxed{\phantom{x}} - 1$$

**Step 3:** Solve for  $y$ .

$$\begin{array}{ccc} x & = & 2y - 1 \\ +1 & & +1 \end{array}$$

$$\frac{x + 1}{2} = \frac{2y}{2}$$

$$\frac{1}{2}x + \frac{1}{2} = \boxed{\phantom{x}}$$

$$y = \frac{1}{2}x + \frac{1}{2}$$

$$\boxed{\phantom{x}} = \frac{1}{2}x + \frac{1}{2}$$



# Summary

## Evaluating Functions



### Lesson Question

How are the different representations of a function used to determine the relationship between the quantities?



### Answer

Blank space for the answer to the lesson question.

*Use this space to write any questions or thoughts about this lesson.*

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